

**Lesson #4: More Distributive Property and Powers of Monomials**

**Learning Goal:** We are learning to expand and simplify more complicated expressions.

Let's start off by continuing our lesson on the Distributive Property. Take a look at the following questions:

**Expand AND simplify (put your answers in descending order):**

a)  $3x(4x^2 - 7x + 2) + 4x^2(2x - 3)$

b)  $-4y^2(3y^2 - 5) - 5y^3(6 + y)$

c)  $3mn(2m - 7n) - 5m^2(4n + 8) + 6n^2(3m - n)$

Now we are going to go back to discussing monomials. How do we simplify  $(3x^2y^5)^3$ ? This is called a monomial raised to a power. How does the outside exponent affect the question? First, how does it work with just a number?

Simplify  $(4^3)^2$

The initial exponents were 3 and 2, with the final exponent a \_\_\_\_\_. So,  $3 \times 2 = 6$ ! This leads to our second exponent law. When raising a power to a power, \_\_\_\_\_ the exponents. Try it out!

a)  $(x^4)^5$

b)  $(y^2)^8$

c)  $(m^3n^6)^4$

That's all well and good (hopefully), but how do you handle a question with a coefficient?

Consider the expression from before,  $(3x^2y^5)^3$ . Expand it without using the laws.

The coefficient was just raised to the power of 3! Awesome. Try out some more, this time following the laws.

a)  $(2x^4y^2)^5$

b)  $(-3m^7n)^2$

c)  $(5a^2b^3c^4d^5)^6$

$$d) (3x^2y^5)^2(2xy^3)$$

$$e) (-4m^3n^2)^3(3m^4n^3)^2$$

$$f) (5x^2y^4z^6)^0 \quad \text{Whoah!! Exponent of zero? How does that work?}$$

There are multiple explanations. We will look at a pattern, starting with  $4^1$  then moving up the ladder.

$$4^4 =$$

$$4^3 =$$

$$4^2 =$$

$$4^1 =$$

$$4^0 =$$

As you move up the ladder, you keep multiplying by 4. If you were to go down the ladder, you would \_\_\_\_\_ by 4. Follow the pattern to determine what four to the power of zero is.

This leads to another exponent law: Anything to the power of zero is equal to \_\_\_\_\_.

$$(5x^2y^4z^6)^0 =$$

#### Success Criteria:

- I can use the distributive property to multiply a polynomial with a monomial
- I can use the distributive property to combine multiple variables into a single term
- I can simplify a monomial raised to a power by multiplying the exponents of each variable
- I can recognize that when a coefficient is raised to a power, it is NOT NOT NOT multiplied
- I can understand that raising to the power of zero equals one.